

# Highly efficient entanglement swapping for long-distance quantum communication

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# Highly efficient entanglement swapping for long-distance quantum communication

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**1. Motivation**

**2. Introduction (entangled sources; SNSPD detectors)**

**3. Experiment**

**4. Result (4-fold HOM interference; teleportation; swapping)**

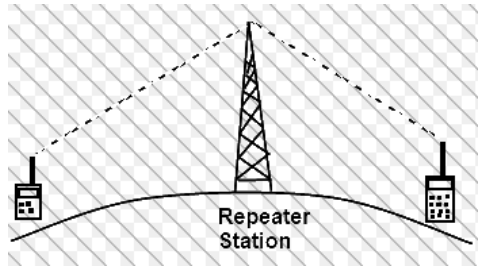
**5. Discussion**

**6. Conclusion**

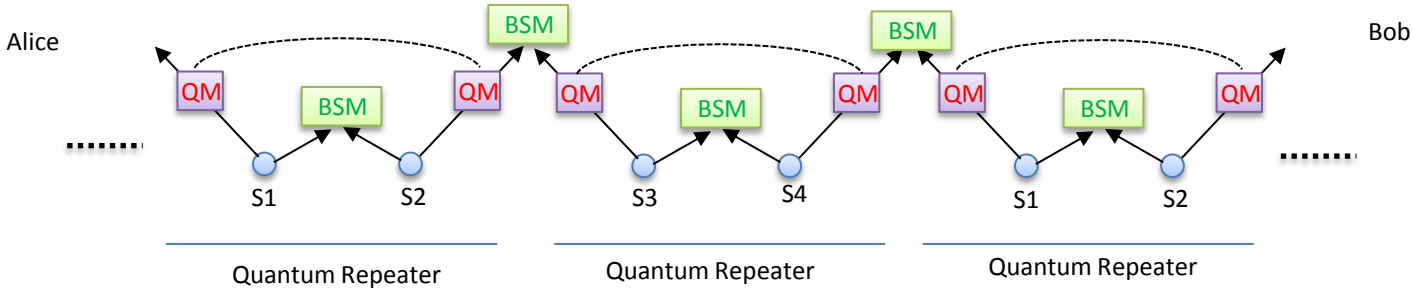
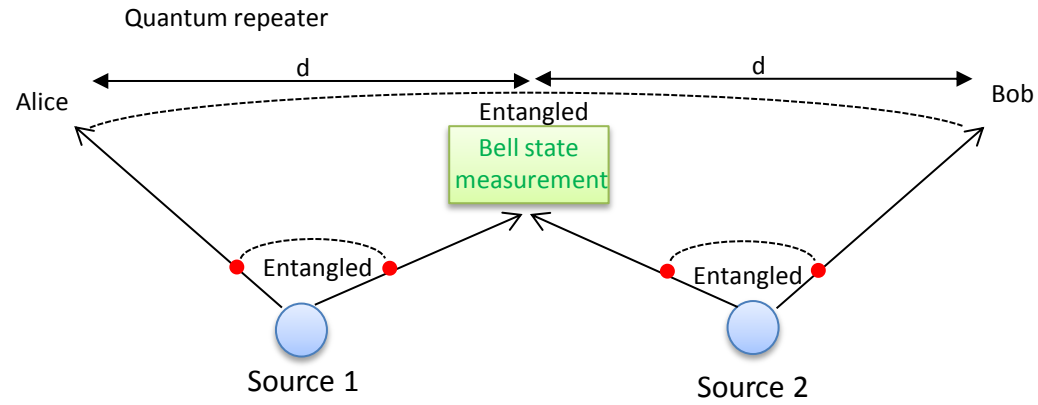
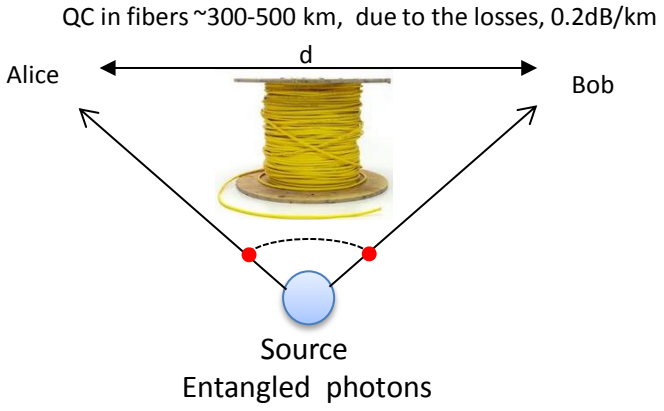
# 1. Motivation

## The scenario of quantum repeaters

Global quantum communication requires quantum repeaters  
 Quantum repeaters need entanglement swapping



Classical repeater



QM=quantum memory



Global quantum communication network

Rev. Mod. Phys. **83**, 33(2011)  
 Nature **453**, 1023(2008)

## 2. Introduction (1)

### Previous work on entanglement swapping

1. The first entanglement swapping experiment was demonstrated at ~800nm

Pan, *et al*, PRL. 80, 3891(1998)

2. The previous entanglement swapping experiments at telecom wavelengths

Ref	Material	Wavelength	4-fold coincidence	visibility	application
1. Marcikic2003	LBO	1310nm	0.05cps	70%	teleportation
2. Riedmatten2005	LBO	1310nm	0.004cps	80%	swapping
3. Halder2007	PPLN-WG	1560nm	0.0003cps	77%	swapping
4. Takesue2009	fiber	1551nm	0.038cps	64%	swapping
5. Xue2012	DSF (fiber)	1550nm	0.016cps	75%	swapping
6. Wu2013	PPLN WG	1550nm	0.08cps	92%	swapping

#### The low count rates :

long accumulation time to obtain reliable data → big obstacle for quantum communication.

**Two reasons** : low-efficiency entangled sources + low-efficiency detectors.

# 2. Introduction (2)

## Photon sources from PPKTP crystal

In type II SPDC in PPKTP crystal, the group velocities are matched around 1584nm

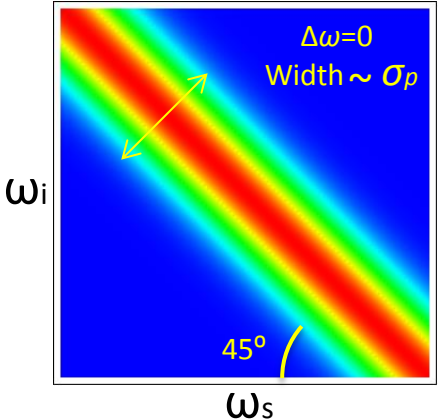
$$V_g^{-1}(\omega_s) + V_g^{-1}(\omega_i) = V_g^{-1}(\omega_p)$$



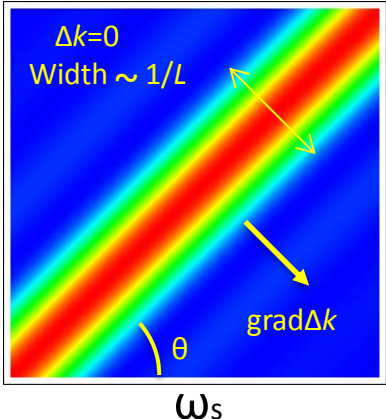
GVM condition:  
 Grice, *et al*, PRA 56, 1627 (1997).  
 Konig, *et al*, APL 84, 1644 (2004).  
 Eckstein, *et al*, PRL 106, 013603 (2011).

Jin, *et al*, Opt. Express 21, 10659 (2013)

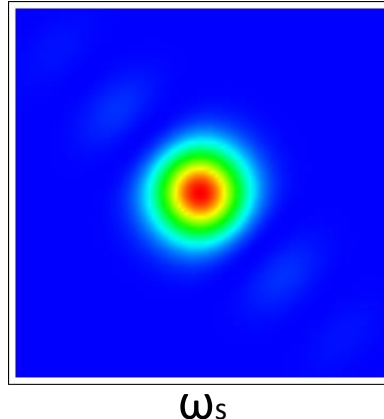
(a) Pump envelop intensity



(b) Phase matching intensity



(c) Joint spectral intensity



$$|\alpha(\omega_s, \omega_i)|^2 = \exp\left[-\left(\frac{\omega_s + \omega_i - \omega_p}{\sigma}\right)^2\right]$$

$$|\phi(\omega_s, \omega_i)|^2 = \left(\text{Sinc}\left[\frac{\Delta k L}{2}\right]\right)^2$$

$$|f(\omega_s, \omega_i)|^2 = |\alpha(\omega_s, \omega_i)|^2 |\phi(\omega_s, \omega_i)|^2$$

Group velocity matched → High spectral purity → no need for narrow band pass filters<sup>5</sup>

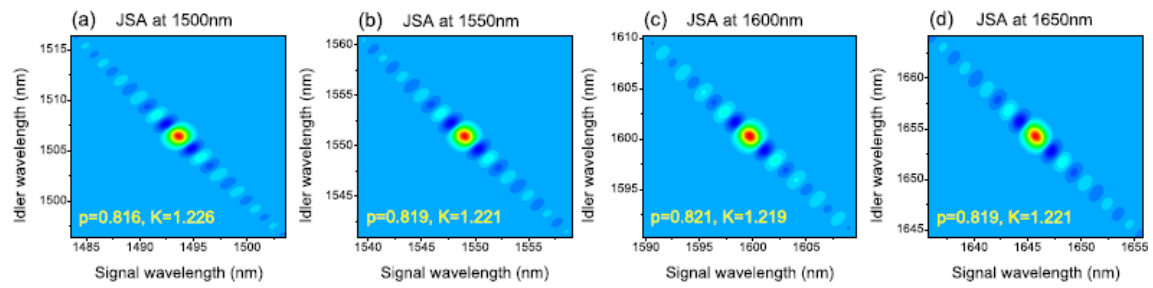
# 2. Introduction (3)

## GVM-PPKTP photon source

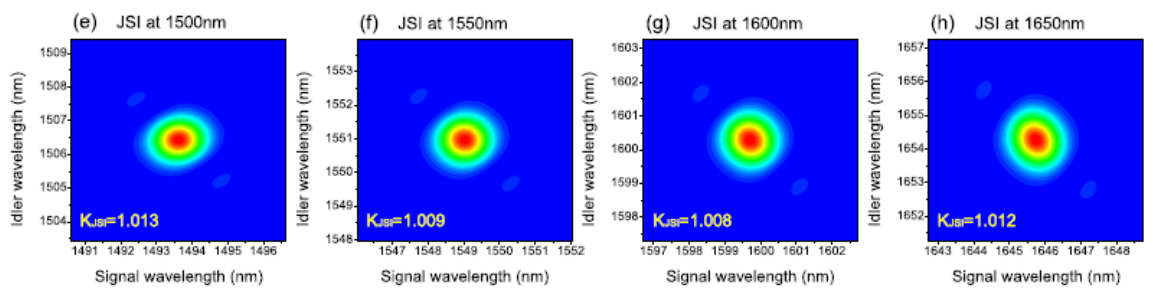
### High spectral purity and wide tunability

#### Simulation data

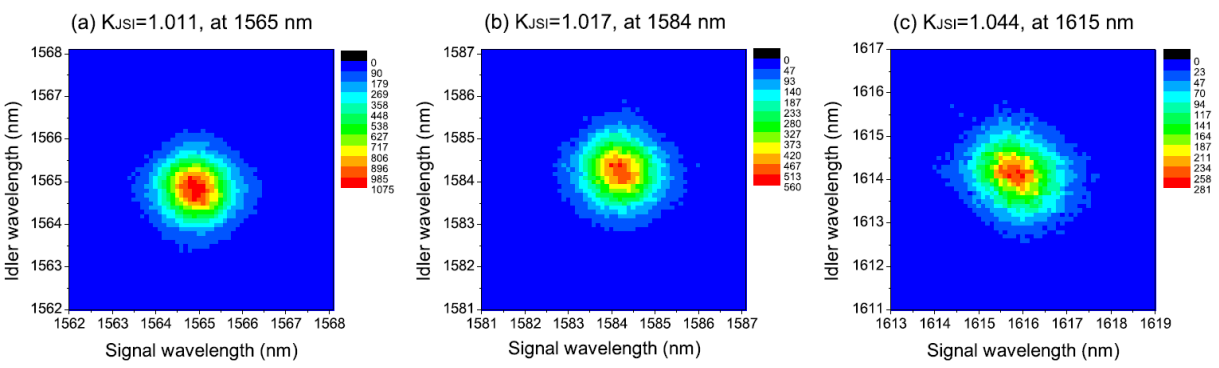
Joint spectral amplitude



Joint spectral intensity



#### Experimentally measured data

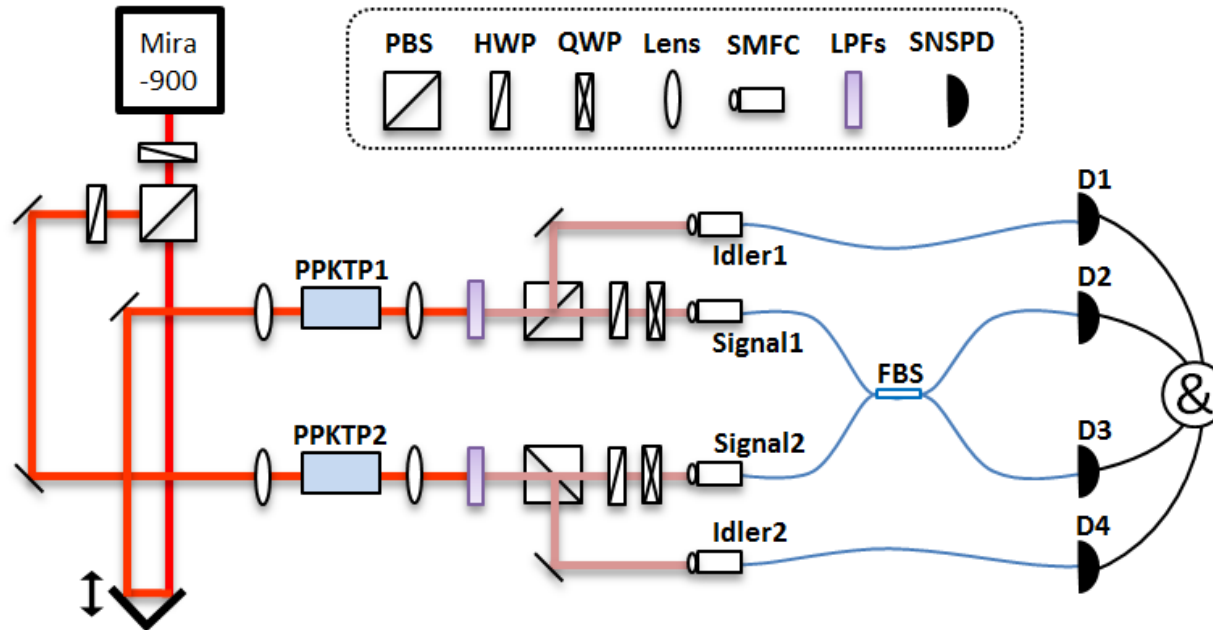


Jin, *et al*, Opt. Express 21, 10659 (2013)

## 2. Introduction (4)

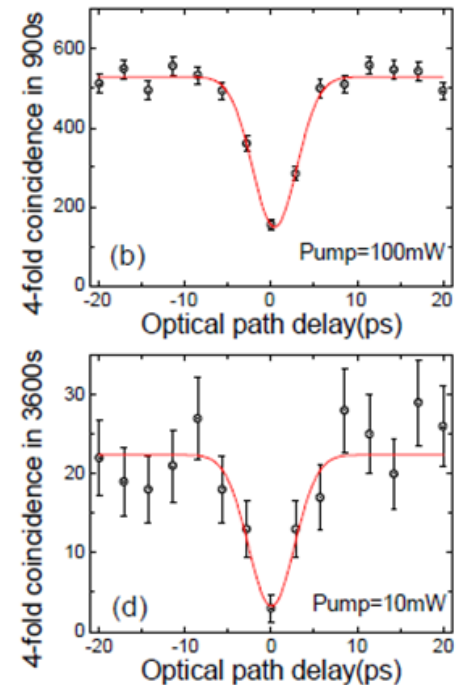
Spectral purity is important for multi-photon interference

Jin, *et al*, PRA 87, 063801 (2013)



High visibility of  $85.5 \pm 8\%$  was achieved **without using any BPF**.  
Because the intrinsic spectral purity is high.

4-fold HOM interference



Hong-Ou-Mandel interference

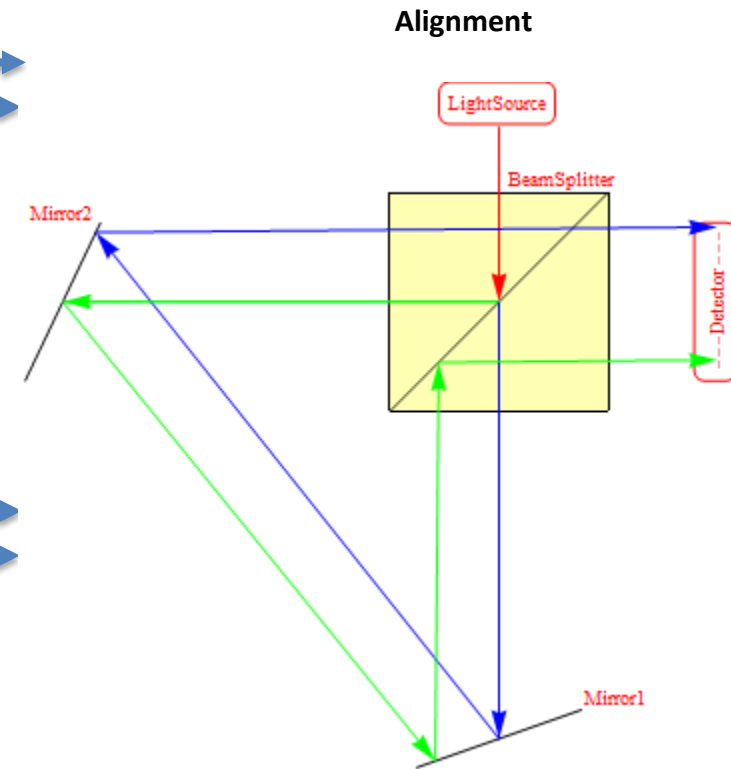
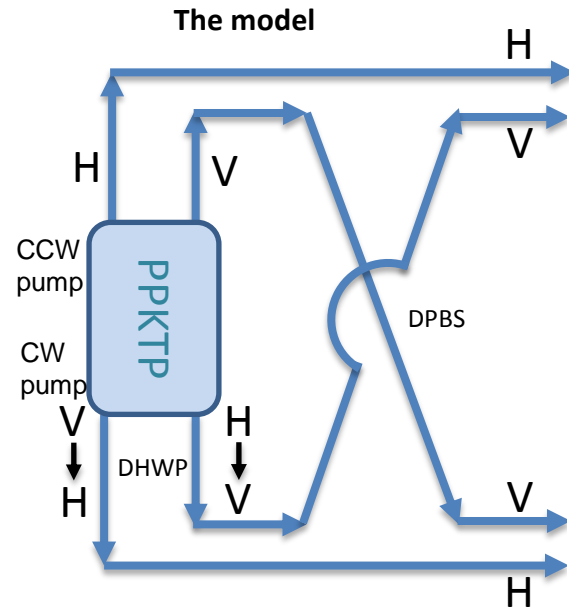
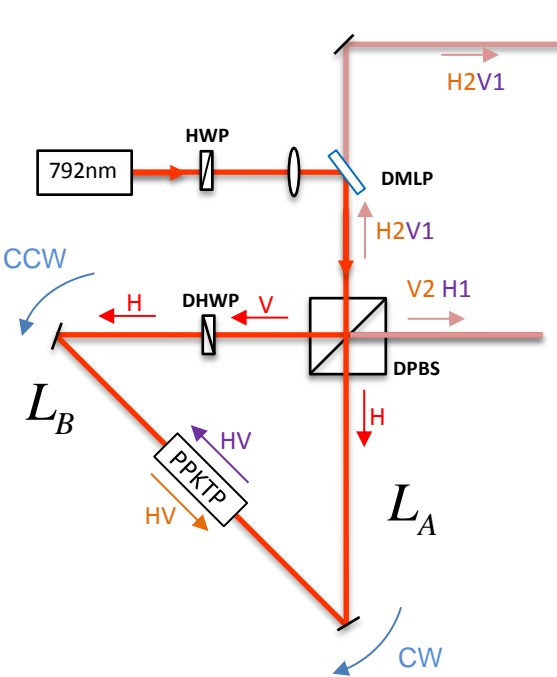
Hong *et al*, PRL 59, 2044 (1987)

# 2. Introduction (5)

From single photon source to entangled photon source

## Sagnac-GVM-PPKTP entangled source

Sagnac interferometer → Highly stable; no temporal walk-off



Kim, *et al*, PRA 73, 012316 (2006)  
Wong, *et al*, Laser Physics 16, 1517(2006)  
Jin, *et al*, Opt. Express 22, 11498 (2014)  
Takeoka, *et al*, will submit soon (2014)

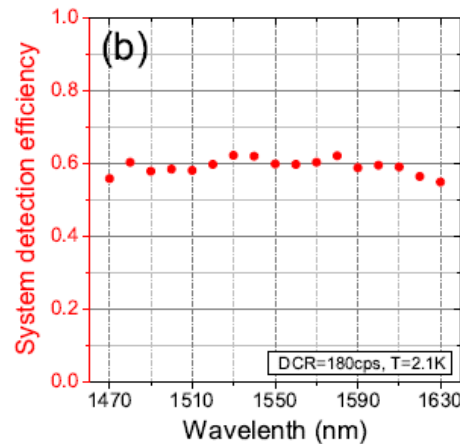
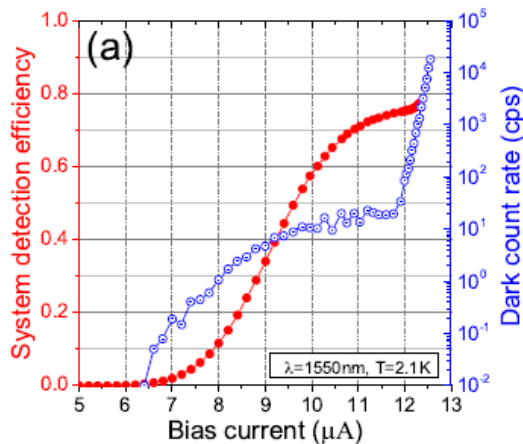
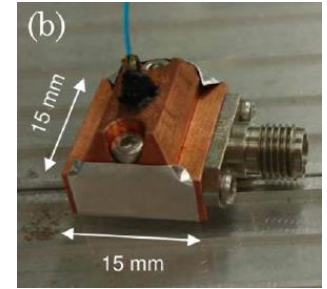
<http://demonstrations.wolfram.com/SagnacInterferometer/> (open source)  
<https://www.youtube.com/watch?v=Ju-Ca3iT5ns>



# 2. Introduction (6)

We have good detectors: Superconducting nanowire single photon detectors (SNSPD)

High efficiency: detecting efficiency > 70% dark counts ~ 1 kcps  
recovery time = 40 ns, time jitter = 68 ps  
spectral range: 1470-1630nm



Miki, *et al*, Opt. Express 21, 10208 (2013)  
Yamashita, *et al*, Opt. Express 21, 27177 (2013)  
Miki, *et al*, IEEE Trans. Appl. Sc. 17, 285 (2007)

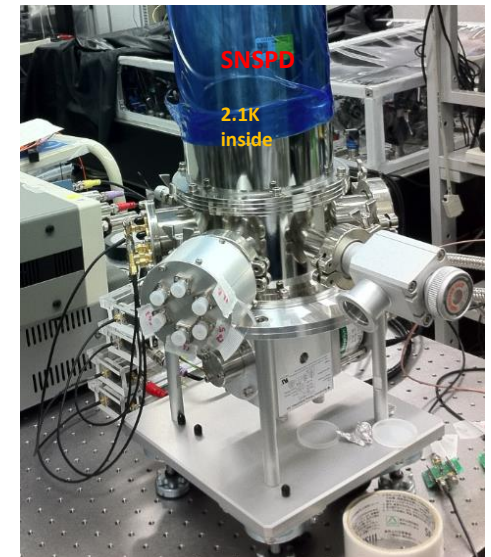
Test with single photon source

Single counts=5.23Mcps

Coincidence=1.17Mcps

at 400mW pump

the highest ever reported at telecom wavelengths

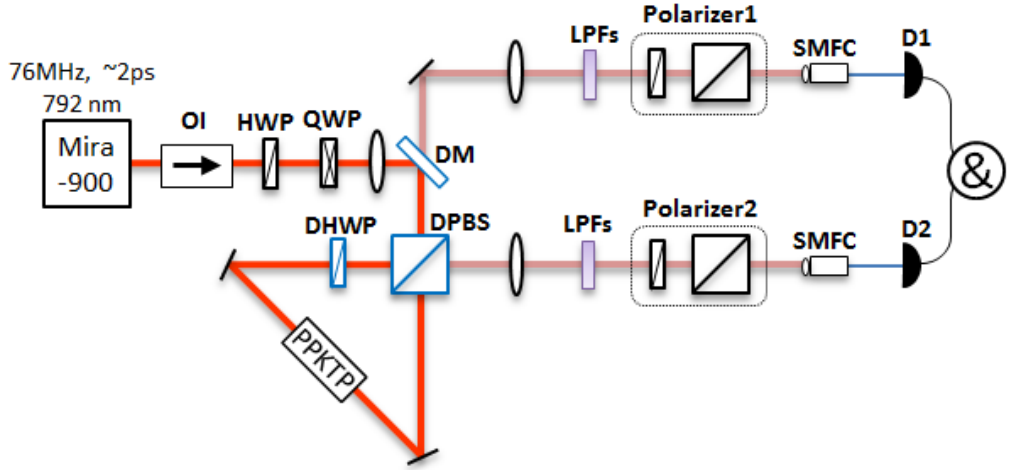


Jin, *et al*, arXiv: 1309.1221

# 2. Introduction (7)

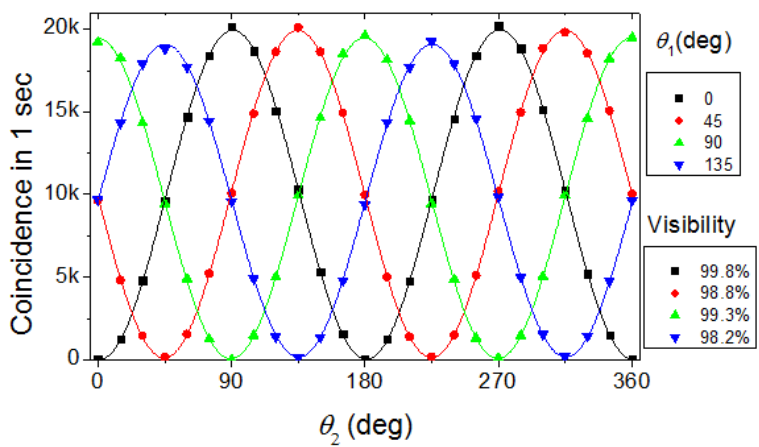
## Performance of our entangled source

Jin, et al, Opt. Express 22, 11498 (2014)



Beam waist= 45 um  
 PPKTP=30mm, type II  
 @1584nm

SNSPD efficiency=0.7  
 Coupling efficiency= 0.5  
 Overall efficiency=0.2

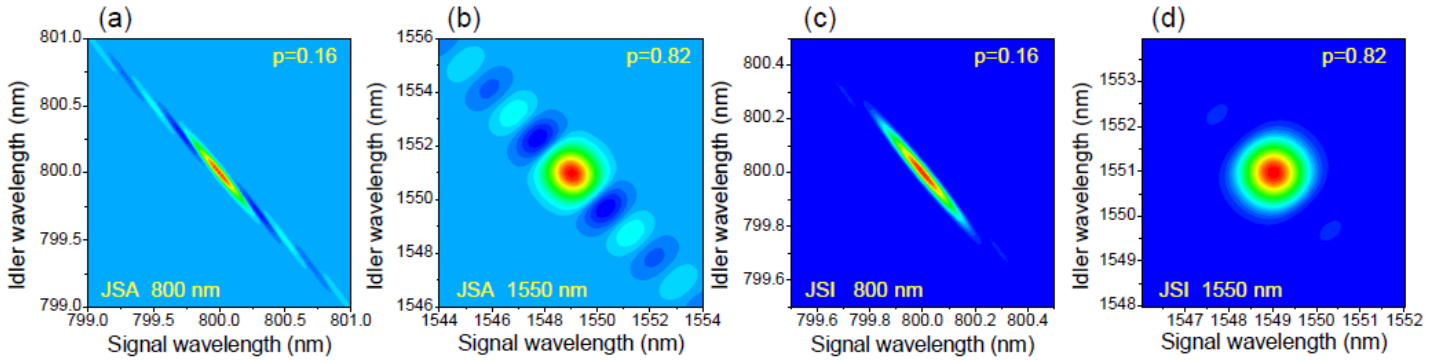


Coincidence=40 kcps @ 10mW  
 Visibility>98% for all bases  
 Spectral purity=0.82

Advantages of our entangled source: Stable; intrinsically high purity; telecom wavelength

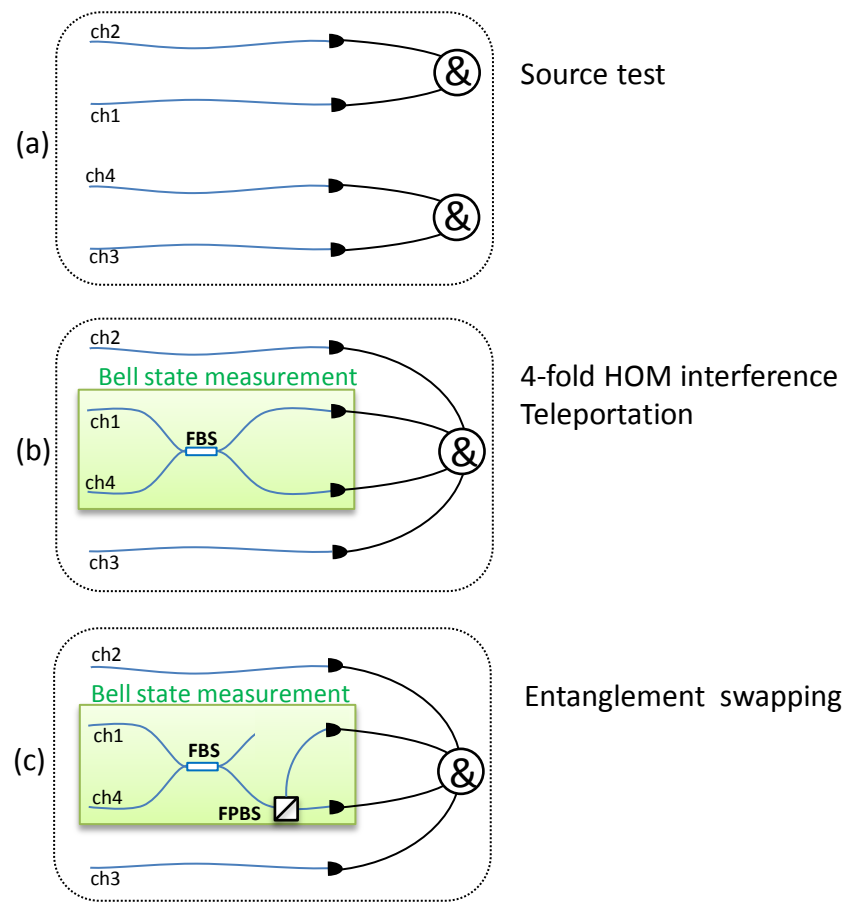
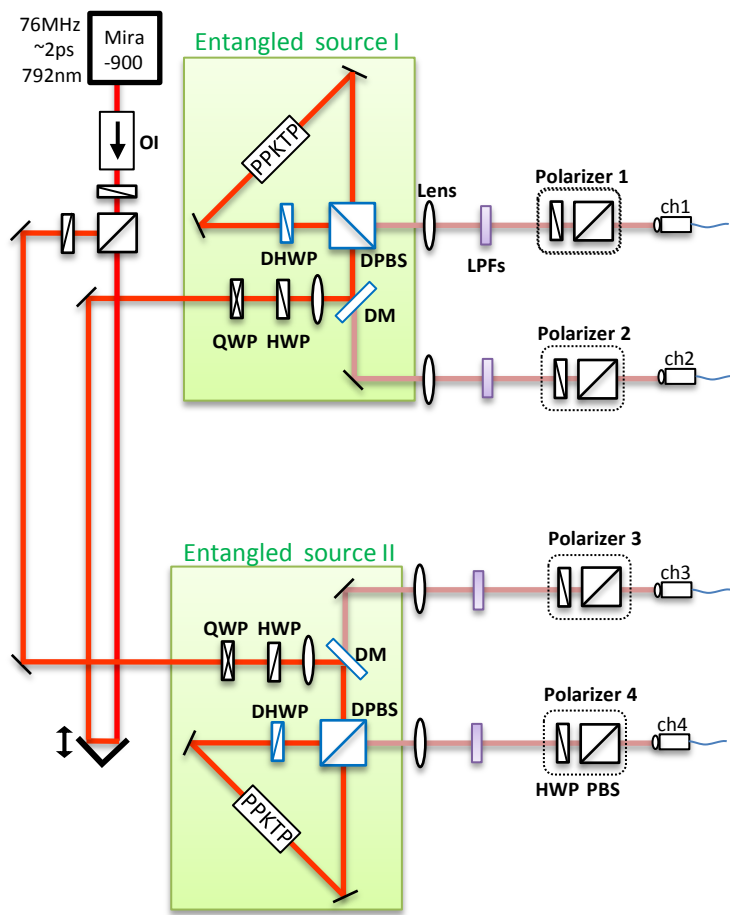
Joint spectral amplitude (JSA)

Joint spectral intensity (JSI)



# 3. Experiment (1)

## Experimental setup

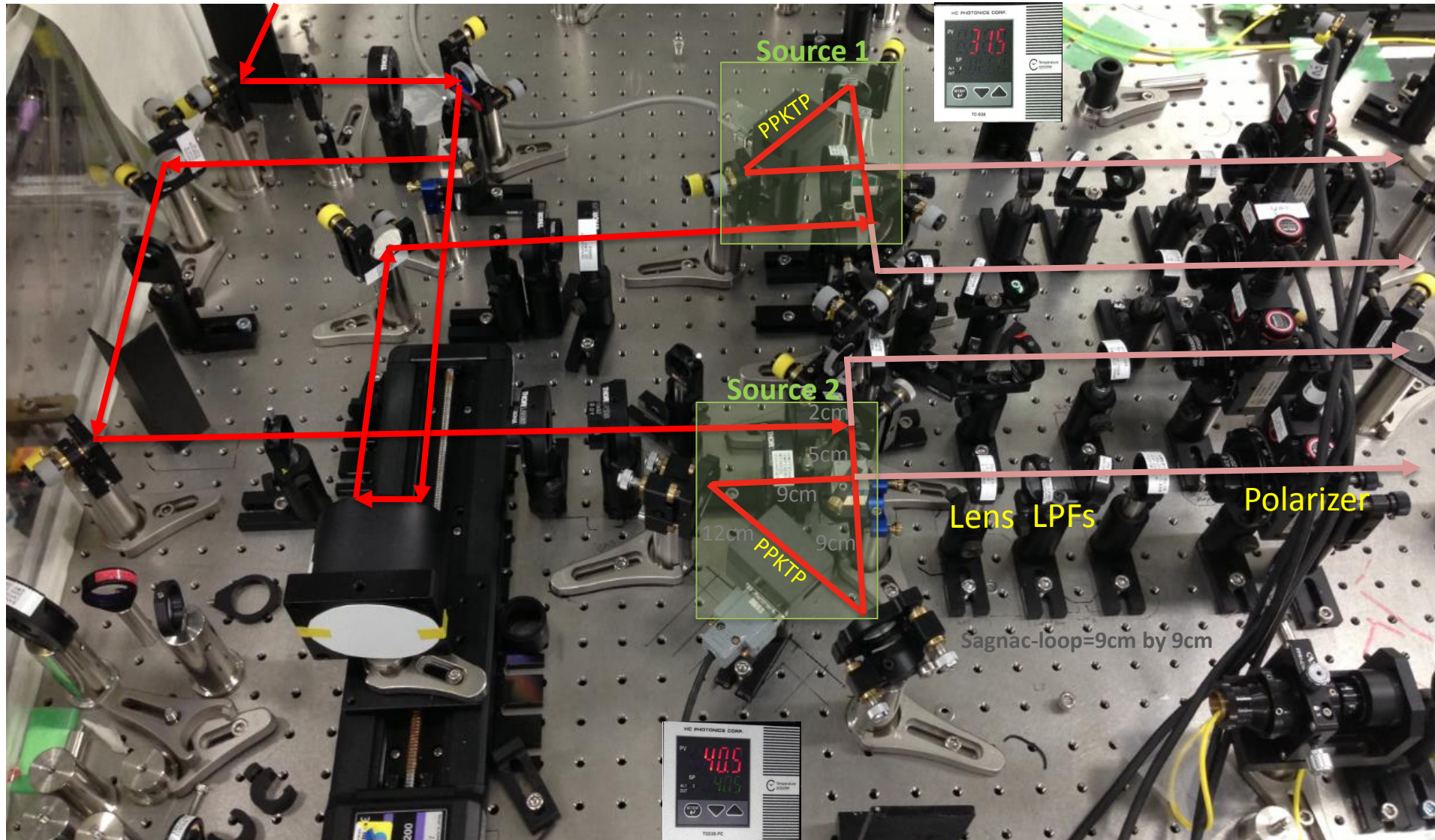


PPKTP: 30-mm-long, poling period =  $46.1 \mu\text{m}$ , type-II group-velocity-matched SPDC, degenerate. The temperature for PPKTP =  $31.0/40.5 \text{ }^\circ\text{C}$

80mW—Source I      85mW—Source II  
Average photon numbers per pulse  $\sim 0.1$

# 3. Experiment (2)

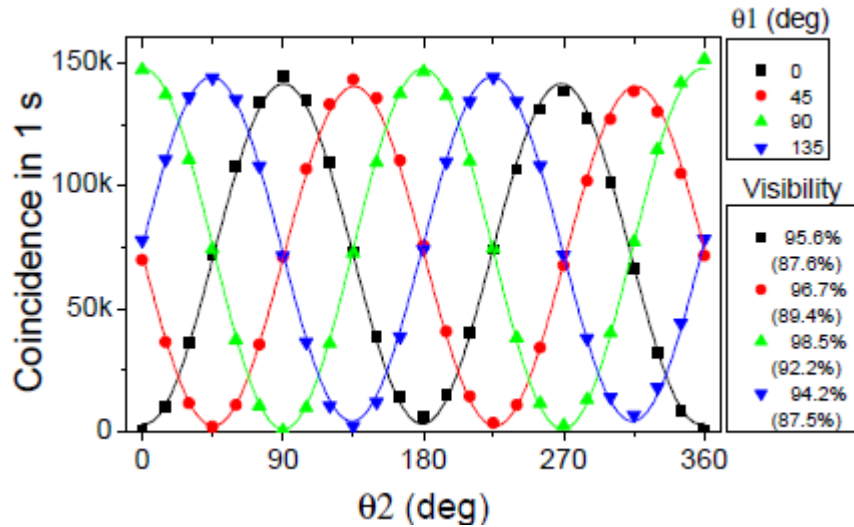
## Experimental setup



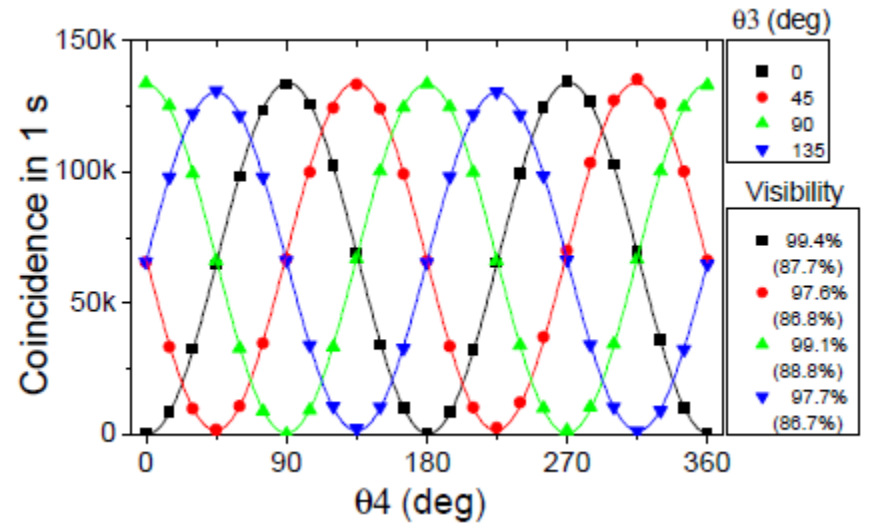
# 4. Result (1)

## Polarization correlation measurement (EPR interference)

(a) Source I  $|\psi^-\rangle$



(b) Source II  $|\psi^-\rangle$



Pump: 80/85mW, accumulate in 1 sec, coincidence counts~150 kcps  
 net V~97%, raw V~87%, Average photon numbers per pulse~0.1

Net visibility  
(Raw visibility)

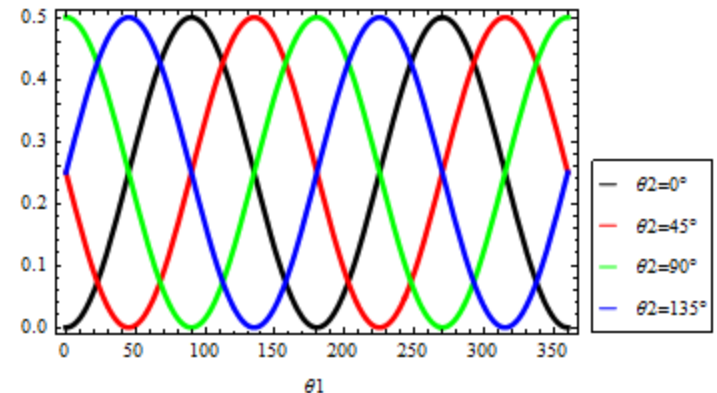
### Theory calculation

$$|\psi^-\rangle = \frac{1}{\sqrt{2}}(|H_1V_2\rangle - |V_1H_2\rangle) \quad I = \frac{1}{2}[\sin(\theta_2 - \theta_1)]^2$$

$$|\theta_1\rangle = \cos\theta_1|H_1\rangle + \sin\theta_1|V_1\rangle \quad (\text{with } HWP_1 = \theta_1/2), \quad |\theta_2\rangle = \cos\theta_2|H_2\rangle + \sin\theta_2|V_2\rangle$$

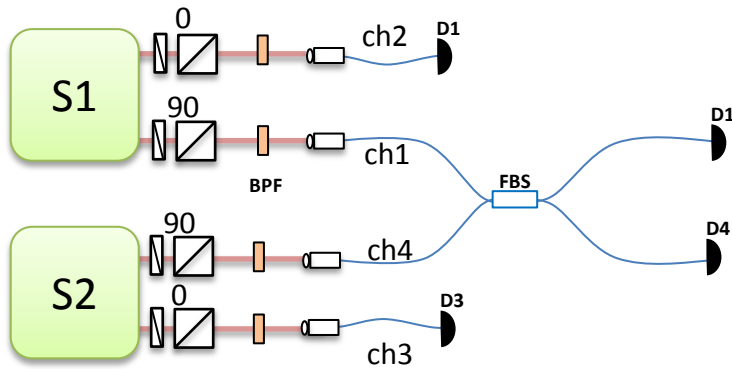
$$\langle\theta_2|\langle\theta_1|\psi^-\rangle = \frac{1}{\sqrt{2}}[\sin\theta_2\cos\theta_1 - \cos\theta_2\sin\theta_1] = \frac{1}{\sqrt{2}}\sin(\theta_2 - \theta_1)$$

$$I = \frac{1}{2}[\sin(\theta_2 - \theta_1)]^2$$

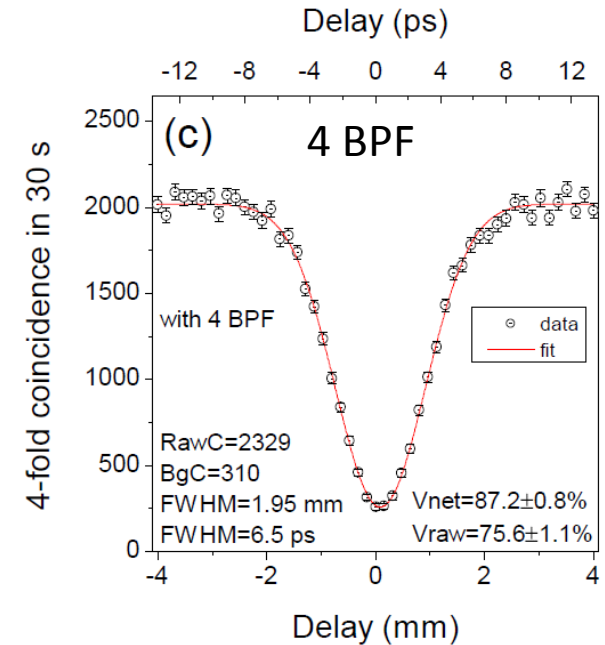
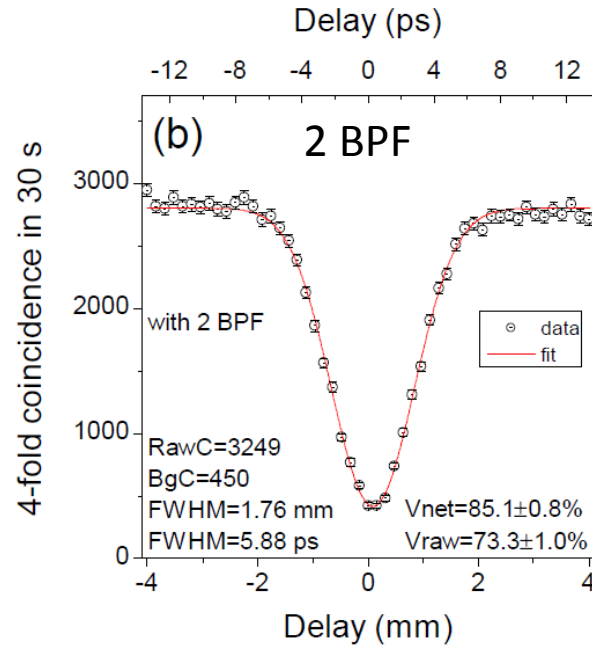
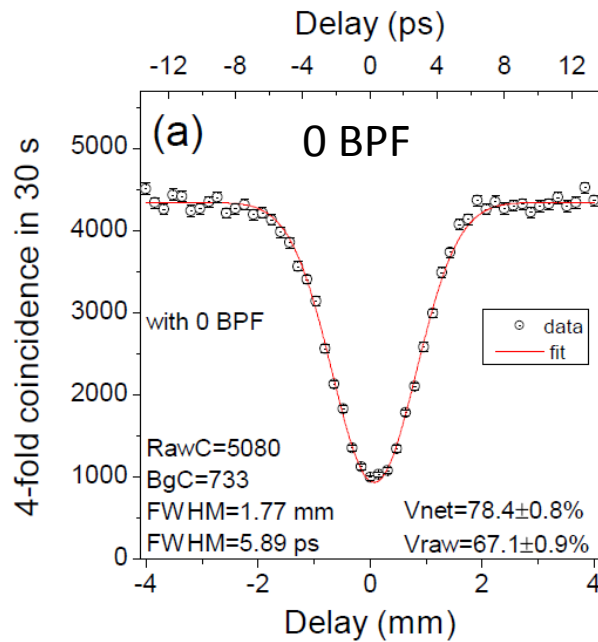


# 4. Result (2)

## 4-fold Hong-Ou-Mandel (HOM) interference

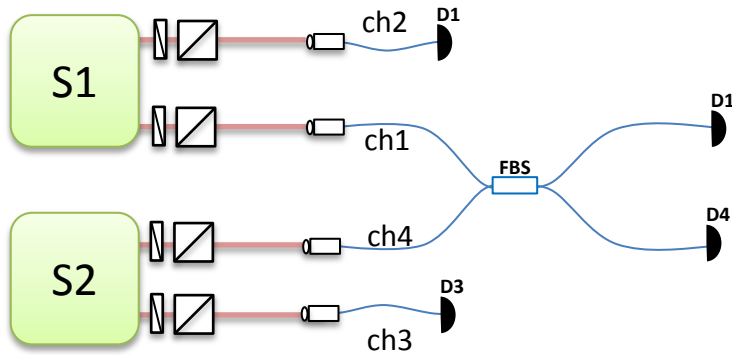


Number	No BPF	2BPF	4BPFs
Raw visibility	67.1%	73.3%	75.6%
Net visibility	78.4%	85.1%	87.2%
<b>4-fold coincidence</b>	<b>169cps</b>	<b>108cps</b>	<b>78cps</b>
background	24cps	15cps	10cps

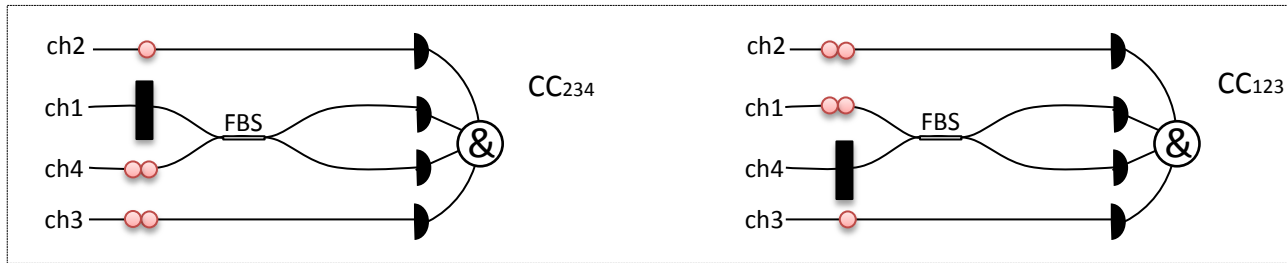


# 4. Result (3)

## How to subtract background in 4-fold HOM interference



Number	No BPF	2BPF	4BPFs
Raw visibility	67.1%	73.3%	75.6%
Net visibility	78.4%	85.1%	87.2%
4-fold coincidence	169cps	108cps	78cps
background	24cps	15cps	10cps



Background counts=  $CC_{234}+CC_{123}$

Contributed by multi-photon emission

Soller, *et al*, PRA 83, 031806 (2011)  
 Jin, *et al*, PRA 87, 063801 (2013)

# 4. Result (4)

Visibility is determined by spectral purity

Purity of source1, source 2

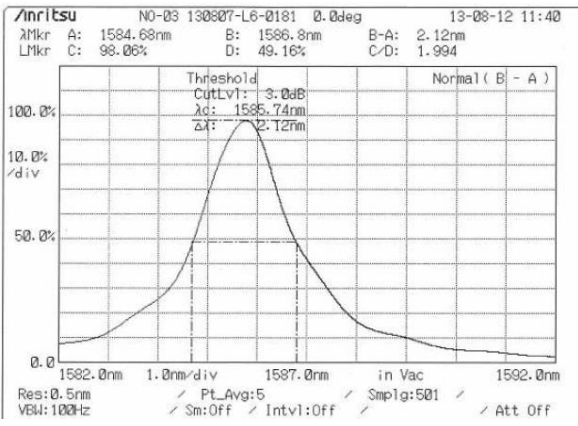
$$V = \text{Tr}[\rho_1 \rho_2] = \frac{\text{Tr}[\rho_1^2] + \text{Tr}[\rho_2^2] - \|\rho_1 - \rho_2\|^2}{2}$$

visibility (points to V)

Indistinguishability of source1 and 2 (points to  $\|\rho_1 - \rho_2\|^2$ )

Jin, et. al, PRA 87, 063801 (2013)  
 Osorio, et. al, J Phys. B 46,055501 (2013).  
 Mosley et. al, PRL 100, 133601 (2008).  
 Lee, et. al, PRL 91 087902(2003)

## Coarse BPF

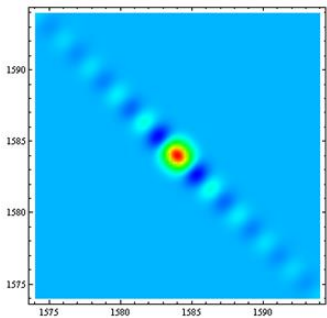


FWHM of the BPF=2.1nm  
 FWHM of the source=1.1nm  
 FWHM after filter=1.0nm

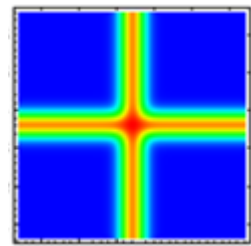
With small loss we can improve the purity from 0.82 to 0.99

Peak Transmission=93%  
 FWHM=2.1nm  
 Overall transmission=77%

Purity=0.82

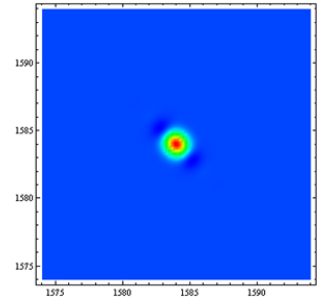


BPF of 2.1nm



Cut side lobes

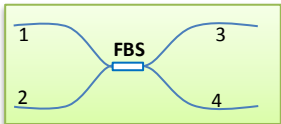
Purity=0.99





# 4. Result (5) Teleportation: Bell state measurement-1

Bell state analyzer  
Rev. Mod. Phys. **84**,777(2012)



BS :

$$\hat{a}_1 = (\hat{a}_3 + \hat{a}_4) / \sqrt{2}$$

$$\hat{a}_2 = (\hat{a}_3 - \hat{a}_4) / \sqrt{2}$$

If the input state is

$$|\psi^-\rangle = \frac{1}{\sqrt{2}} (|H_1V_2\rangle - |V_1H_2\rangle)$$

$$H_1 = \frac{1}{\sqrt{2}}(H_3 + H_4) \quad H_2 = \frac{1}{\sqrt{2}}(H_3 - H_4) \quad V_1 = \frac{1}{\sqrt{2}}(V_3 + V_4) \quad V_2 = \frac{1}{\sqrt{2}}(V_3 - V_4)$$

$$H_1V_2 = \frac{1}{2}(H_3 + H_4)(V_3 - V_4) = \frac{1}{2}(H_3V_3 - H_4V_4 - H_3V_4 + H_4V_3)$$

$$V_1H_2 = \frac{1}{2}(V_3 + V_4)(H_3 - H_4) = \frac{1}{2}(H_3V_3 - H_4V_4 + H_3V_4 - H_4V_3)$$

$$H_1V_2 - V_1H_2 = H_4V_3 - H_3V_4 \quad H_1V_2 + V_1H_2 = H_3V_3 - H_4V_4$$

$$|\psi^-\rangle = \frac{1}{\sqrt{2}} (|H_1V_2\rangle - |V_1H_2\rangle) \xrightarrow{BS} \frac{1}{\sqrt{2}} (|H_3V_4\rangle - |V_3H_4\rangle)$$

$$|\psi^+\rangle = \frac{1}{\sqrt{2}} (|H_1V_2\rangle + |V_1H_2\rangle) \xrightarrow{BS} \frac{1}{\sqrt{2}} (|H_3V_3\rangle - |V_4H_4\rangle)$$

$$|\phi^+\rangle = \frac{1}{\sqrt{2}} (|H_1H_2\rangle + |V_1V_2\rangle) \xrightarrow{BS} \frac{1}{2} [(|H_3H_3\rangle - |H_4H_4\rangle) + (|V_3V_3\rangle - |V_4V_4\rangle)]$$

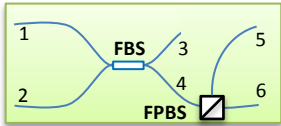
$$|\phi^-\rangle = \frac{1}{\sqrt{2}} (|H_1H_2\rangle - |V_1V_2\rangle) \xrightarrow{BS} \frac{1}{2} [(|H_3H_3\rangle - |H_4H_4\rangle) - (|V_3V_3\rangle - |V_4V_4\rangle)]$$

Conclusion: only when  $|\psi^-\rangle$  state inputs, CC exists.  
So, a CC means the  $|\psi^-\rangle$  state is detected

Partial Bell state measurement

# 4. Result (6) Teleportation: Bell state measurement-2

Bell state analyzer  
Rev. Mod. Phys. **84**,777(2012)



If the input state is

$$|\psi^-\rangle = \frac{1}{\sqrt{2}}(|H_1V_2\rangle - |V_1H_2\rangle) \xrightarrow{BS} \frac{1}{\sqrt{2}}(|H_3V_4\rangle - |V_3H_4\rangle) \quad \text{There is no CC at port 5/6}$$

$$|\psi^+\rangle = \frac{1}{\sqrt{2}}(|H_1V_2\rangle + |V_1H_2\rangle) \xrightarrow{BS} \frac{1}{\sqrt{2}}(|H_3V_3\rangle - |V_4H_4\rangle) \quad \text{There is CC at port 5/6}$$

$$|\phi^+\rangle = \frac{1}{\sqrt{2}}(|H_1H_2\rangle + |V_1V_2\rangle) \xrightarrow{BS} \frac{1}{2}[(|H_3H_3\rangle - |H_4H_4\rangle) + (|V_3V_3\rangle - |V_4V_4\rangle)]$$

$$|\phi^-\rangle = \frac{1}{\sqrt{2}}(|H_1H_2\rangle - |V_1V_2\rangle) \xrightarrow{BS} \frac{1}{2}[(|H_3H_3\rangle - |H_4H_4\rangle) - (|V_3V_3\rangle - |V_4V_4\rangle)]$$

There is no CC at port 5/6

Conclusion: A CC detection means the  $|\psi^+\rangle$  state is detected

PBS :

$$\hat{a}_{4H} = \hat{a}_{6H} \quad \hat{a}_{4V} = \hat{a}_{5V}$$

BS + PBS :

$$\hat{a}_{1H} = (\hat{a}_{3H} + \hat{a}_{4H}) / \sqrt{2} = \hat{a}_{6H} / \sqrt{2}$$

$$\hat{a}_{1V} = (\hat{a}_{3V} + \hat{a}_{4V}) / \sqrt{2} = \hat{a}_{5V} / \sqrt{2}$$

$$\hat{a}_{2H} = (\hat{a}_{3H} - \hat{a}_{4H}) / \sqrt{2} = -\hat{a}_{6H} / \sqrt{2}$$

$$\hat{a}_{2V} = (\hat{a}_{3V} - \hat{a}_{4V}) / \sqrt{2} = -\hat{a}_{5V} / \sqrt{2}$$

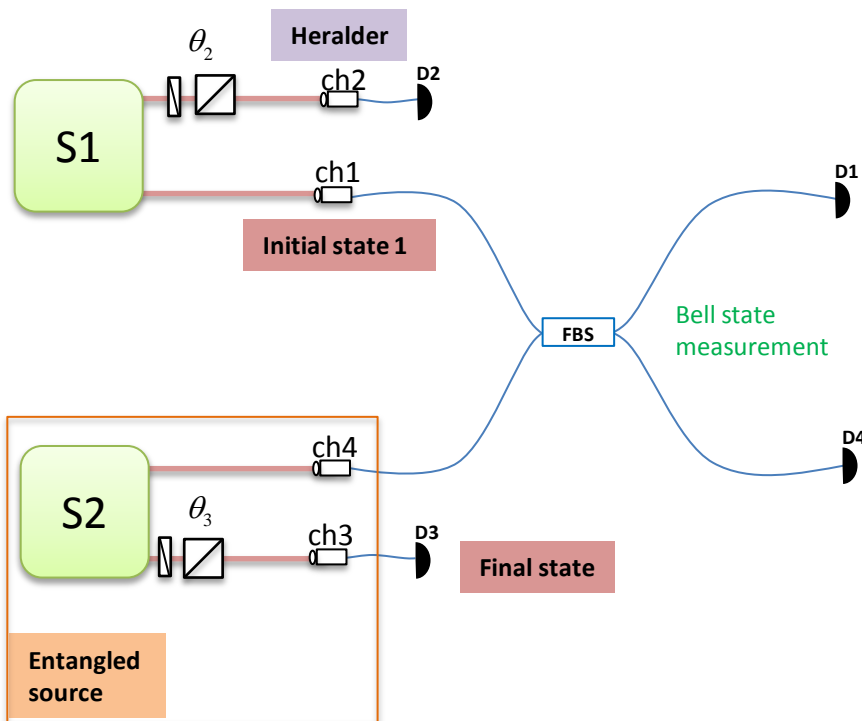
# 4. Result (7)

## The principle of teleportation

$$|\psi^-\rangle_{34} \otimes |i\rangle_1 = \frac{1}{\sqrt{2}} (|HV\rangle - |VH\rangle)_{34} (\alpha|H\rangle + \beta|V\rangle)_1$$

$$\equiv \frac{1}{2} [ |\psi^+\rangle_{41} (-\alpha|H\rangle + \beta|V\rangle)_3 + |\psi^-\rangle_{41} (\alpha|H\rangle + \beta|V\rangle)_3 + |\phi^+\rangle_{41} (\alpha|V\rangle - \beta|H\rangle)_3 + |\phi^-\rangle_{41} (\alpha|V\rangle + \beta|H\rangle)_3 ]$$

$$|\psi^-\rangle_{34} \otimes (\alpha|H\rangle_1 + \beta|V\rangle_1) \xrightarrow{BSM} \frac{1}{2} |\psi^-\rangle_{14} (\alpha|H\rangle_3 + \beta|V\rangle_3)$$



$$ch_1 \xrightarrow{\text{teleport}} ch_3$$

e.g. 1

$$Ch2: (|V\rangle) \xrightarrow{\text{Herald}} Ch1: (|H\rangle) \xrightarrow{BSM \text{ select}} Ch3: (|H\rangle)$$

$$\Rightarrow Ch3=0^\circ \rightarrow CC \text{ exist} \rightarrow \text{no HOM dip } (\theta_2/\theta_3 = 90^\circ/0^\circ)$$

$$Ch3=90^\circ \rightarrow \text{no CC} \rightarrow \text{HOM dip } (\theta_2/\theta_3 = 90^\circ/90^\circ)$$

e.g. 2

$$Ch2: (|H\rangle + |V\rangle) \xrightarrow{\text{Herald}} Ch1: (|H\rangle - |V\rangle) \xrightarrow{BSM \text{ select}} Ch3: (|H\rangle - |V\rangle)$$

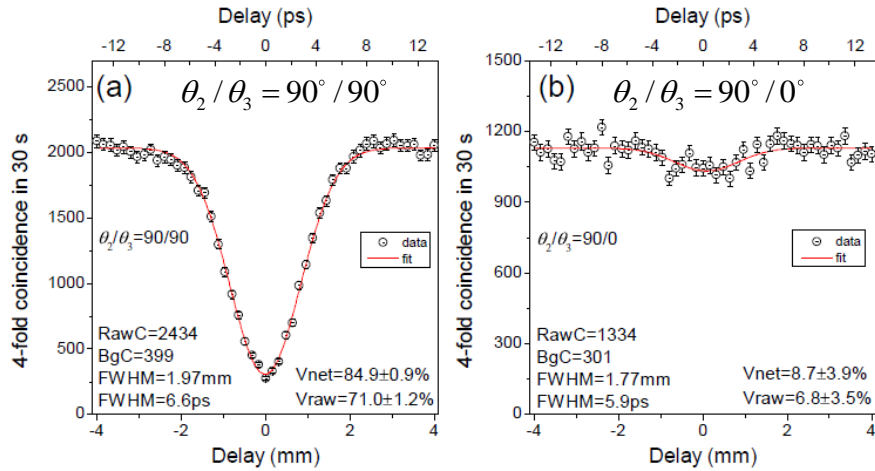
$$\Rightarrow Ch3=45^\circ \rightarrow \text{no CC} \rightarrow \text{HOM dip } (\theta_2/\theta_3 = 45^\circ/45^\circ)$$

$$Ch3=135^\circ \rightarrow \text{CC} \rightarrow \text{no HOM dip } (\theta_2/\theta_3 = 45^\circ/135^\circ)$$

# 4. Result (8) Teleportation Result

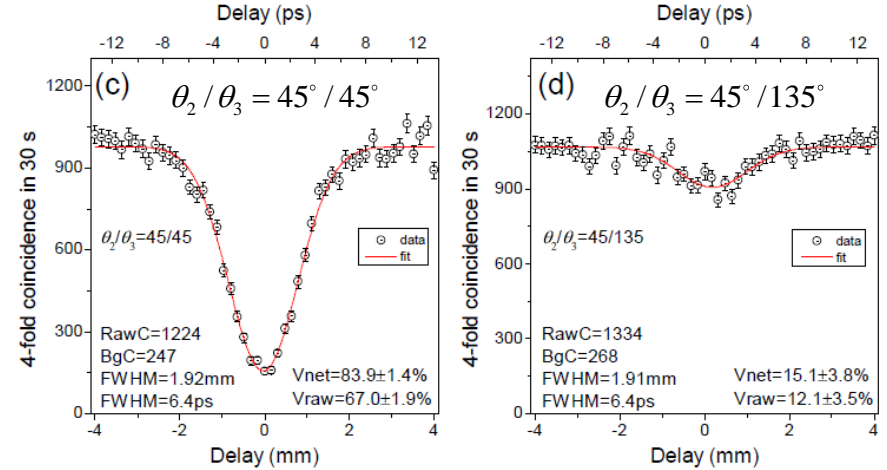
e.g. 1

$Ch2: \langle |V\rangle \rangle \xrightarrow{\text{Herald}} Ch1: \langle |H\rangle \rangle \xrightarrow{\text{BSM select}} Ch3: \langle |H\rangle \rangle$   
 $\Rightarrow Ch3=0^\circ \rightarrow CC \text{ exist} \rightarrow \text{no HOM dip } (\theta_2 / \theta_3 = 90^\circ / 0^\circ)$   
 $Ch3=90^\circ \rightarrow \text{no CC} \rightarrow \text{HOM dip } (\theta_2 / \theta_3 = 90^\circ / 90^\circ)$



e.g. 2

$Ch2: \langle |H\rangle + |V\rangle \rangle \xrightarrow{\text{Herald}} Ch1: \langle |H\rangle - |V\rangle \rangle \xrightarrow{\text{BSM select}} Ch3: \langle |H\rangle - |V\rangle \rangle$   
 $\Rightarrow Ch3=45^\circ \rightarrow \text{no CC} \rightarrow \text{HOM dip } (\theta_2 / \theta_3 = 45^\circ / 45^\circ)$   
 $Ch3=135^\circ \rightarrow \text{CC} \rightarrow \text{no HOM dip } (\theta_2 / \theta_3 = 45^\circ / 135^\circ)$

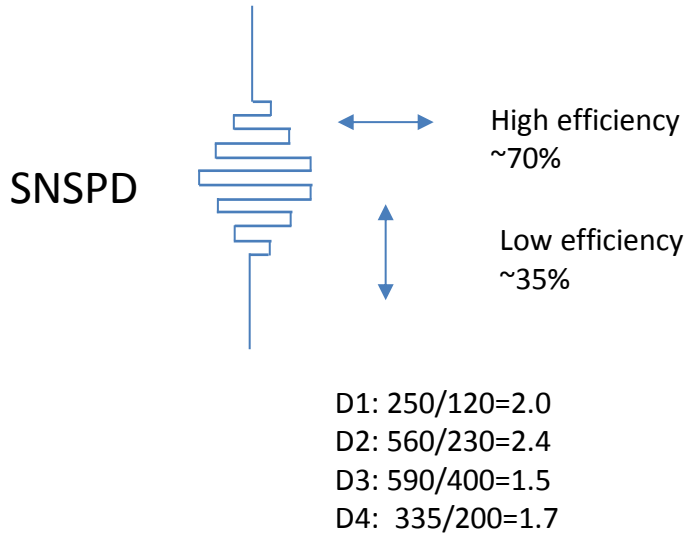
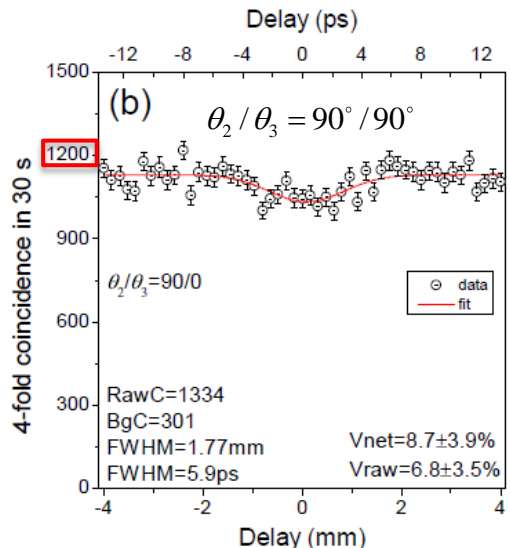
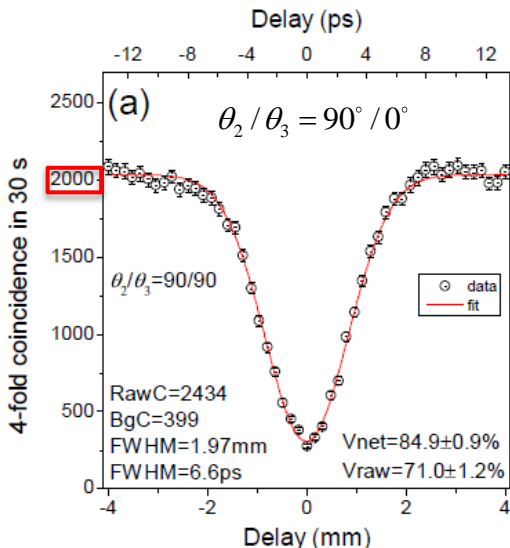


## Teleportation at other angles

$\theta_2 / \theta_3$	Raw Visibility	Net Visibility	Ideal	$\theta_2 / \theta_3$	Raw Visibility	Net Visibility	Ideal
0/0	56%	75.8%	100%	45/45	66.9%	83.9%	100%
0/90	11.4%	14.2%	0%	45/135	12.0%	15.1%	0%
90/0	6.8%	8.7%	0%	135/45	13.2%	16.9%	0%
90/90	71%	84.9%	100%	135/135	65.9%	81.9%	100%

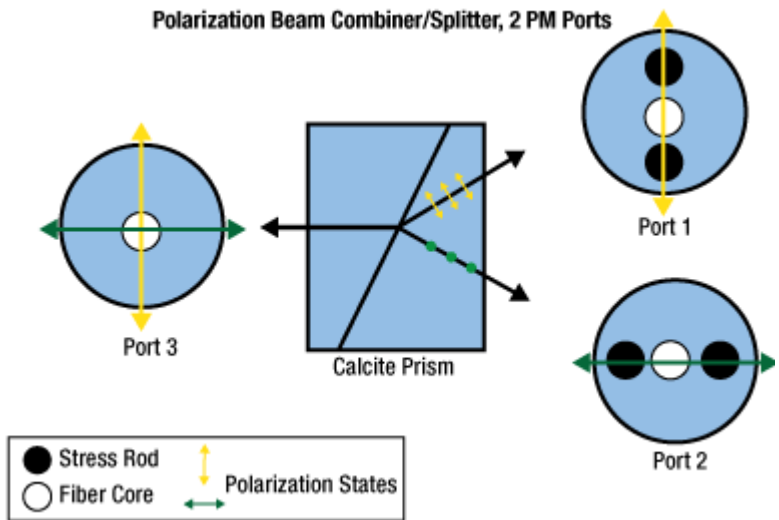
# 4. Result (9)

## Polarization dependency of SNSPD's efficiency



How to overcome this problem?

### Fiber-PBS

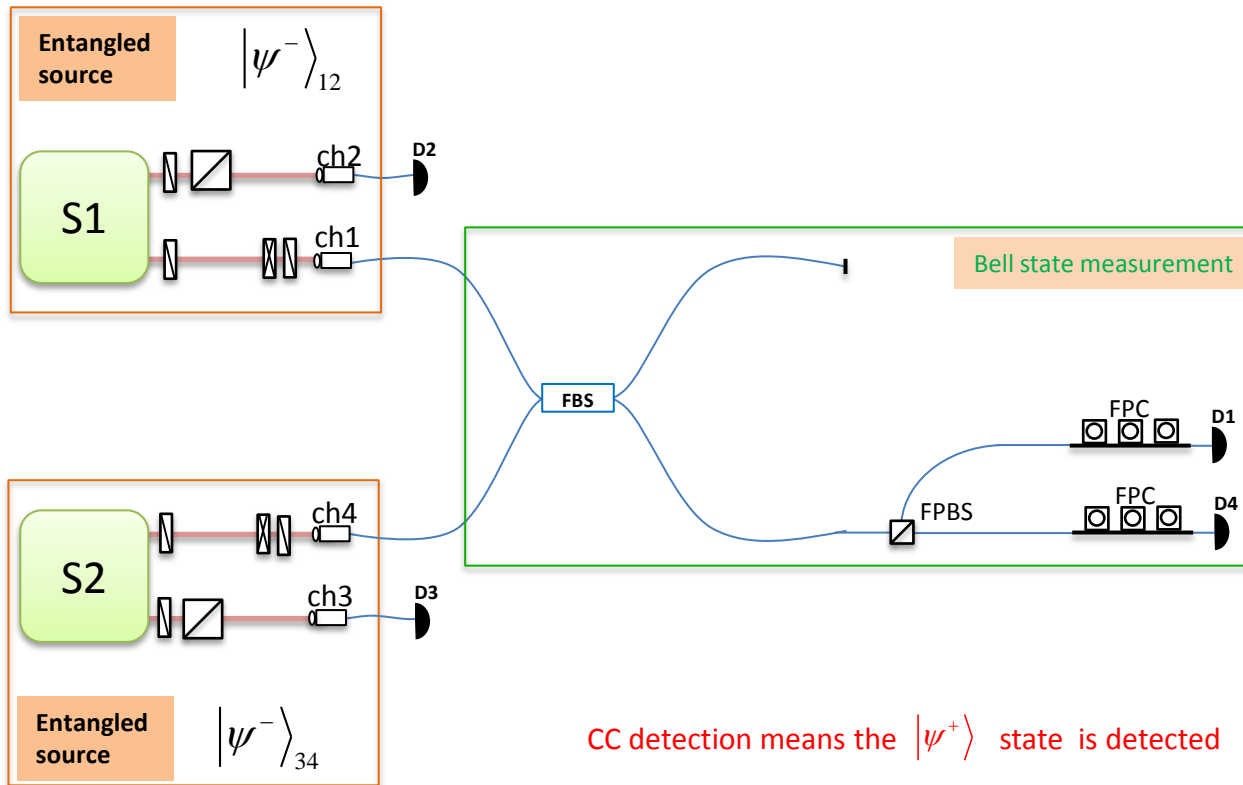


Extinction ratio > 1000/1

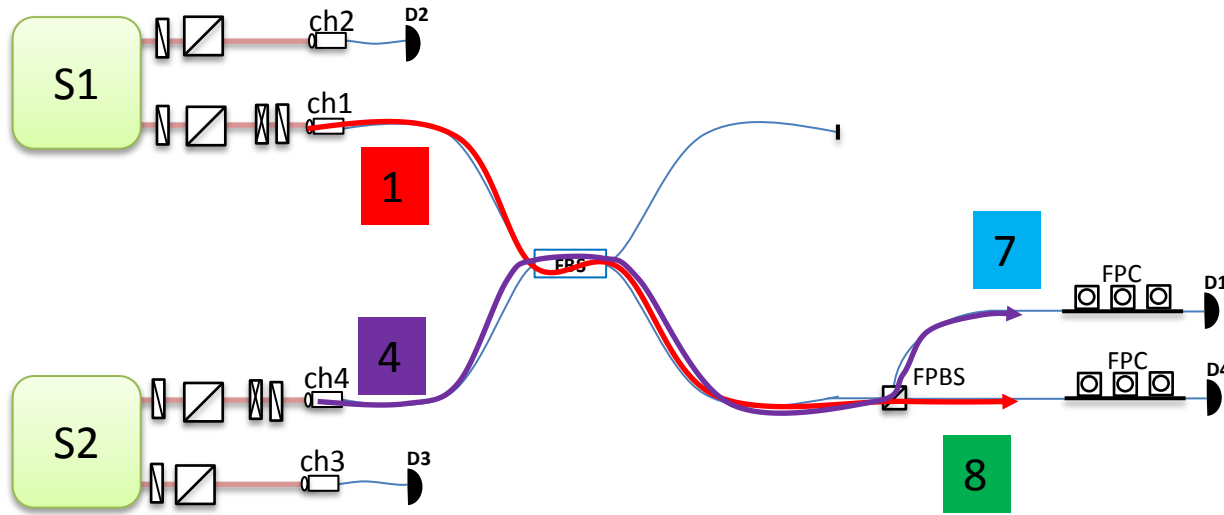
# 4. Result (10) The principle of entanglement swapping

$$|\psi^-\rangle_{12} \otimes |\psi^-\rangle_{34} \equiv \frac{1}{2} (|\psi^+\rangle_{14} \otimes |\psi^+\rangle_{23} - |\psi^-\rangle_{14} \otimes |\psi^-\rangle_{23} - |\phi^+\rangle_{14} \otimes |\phi^+\rangle_{23} + |\phi^-\rangle_{14} \otimes |\phi^-\rangle_{23})$$

$$|\psi^-\rangle_{12} \otimes |\psi^-\rangle_{34} \xrightarrow{BSM} |\psi^+\rangle_{14} \otimes |\psi^+\rangle_{23}$$



# 4. Result (11) Entanglement swapping Calibration



$$H_1 \rightarrow 8 \quad H_4 \rightarrow 7$$



$$H_1 \xrightarrow{HWPQWP} H_1$$

$$H_4 \xrightarrow{HWPQWP} V_4$$



$$|\psi^\pm\rangle_{14} \xleftrightarrow{HWPQWP} |\phi^\pm\rangle_{14}$$

$$|\psi^-\rangle_{12} \otimes |\psi^-\rangle_{34} \equiv \frac{1}{2} (|\psi^+\rangle_{14} \otimes |\psi^+\rangle_{23} - |\psi^-\rangle_{14} \otimes |\psi^-\rangle_{23} - |\phi^+\rangle_{14} \otimes |\phi^+\rangle_{23} + |\phi^-\rangle_{14} \otimes |\phi^-\rangle_{23})$$

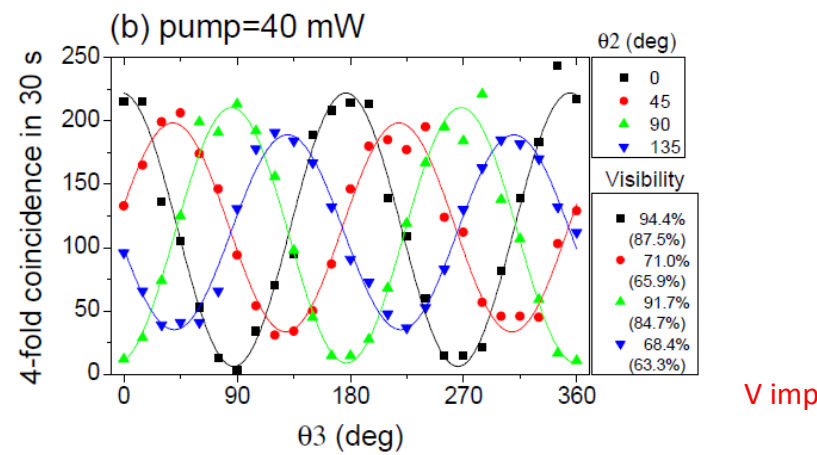
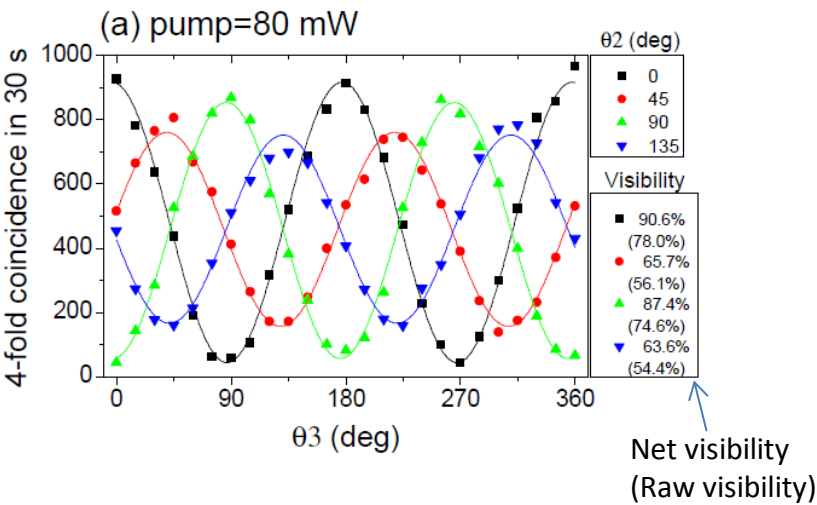


$$|\psi^-\rangle_{12} \otimes |\psi^-\rangle_{34} \rightarrow \frac{1}{2} (|\phi^+\rangle_{14} \otimes |\psi^+\rangle_{23} - |\phi^-\rangle_{14} \otimes |\psi^-\rangle_{23} - \underline{|\psi^+\rangle_{14} \otimes |\phi^+\rangle_{23}} + |\psi^-\rangle_{14} \otimes |\phi^-\rangle_{23})$$

# 4. Result (12) Entanglement swapping

$$|\psi^-\rangle_{12} \otimes |\psi^-\rangle_{34} \rightarrow \frac{1}{2} (|\phi^+\rangle_{14} \otimes |\psi^+\rangle_{23} - |\phi^-\rangle_{14} \otimes |\psi^-\rangle_{23} - |\psi^+\rangle_{14} \otimes |\phi^+\rangle_{23} + |\psi^-\rangle_{14} \otimes |\phi^-\rangle_{23})$$

$$|\psi^-\rangle_{12} \otimes |\psi^-\rangle_{34} \xrightarrow{HWPQWP+BSM} |\psi^+\rangle_{14} \otimes |\phi^+\rangle_{23}$$



V improved by 7%

## Theory calculation

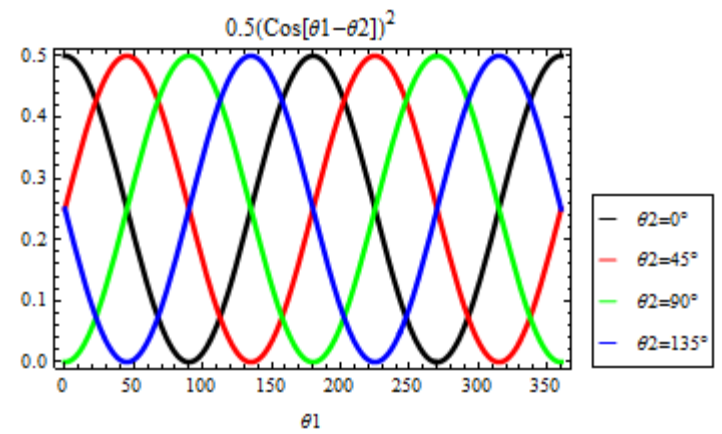
$$|\phi^+\rangle = \frac{1}{\sqrt{2}} (|H_1H_2\rangle + |V_1V_2\rangle)$$

$$|\theta_1\rangle = \cos \theta_1 |H_1\rangle + \sin \theta_1 |V_1\rangle \quad (\text{with } HWP_1 = \theta_1 / 2),$$

$$|\theta_2\rangle = \cos \theta_2 |H_2\rangle + \sin \theta_2 |V_2\rangle$$

$$\langle \theta_2 | \langle \theta_1 | \psi^- \rangle = \frac{1}{\sqrt{2}} [\cos \theta_2 \cos \theta_1 + \sin \theta_2 \sin \theta_1] = \frac{1}{\sqrt{2}} \cos(\theta_2 - \theta_1)$$

$$I = \frac{1}{2} [\cos(\theta_2 - \theta_1)]^2$$





## 5. Discussion (1) Comparison of the 4-fold coincidence counts

With the previous experiments at ~1550nm

Ref	Material	Wavelength	4-fold coincidence	HOM visibility	application
[1]. Marcikic2003	LBO	1310nm	0.05cps	70%	teleportation
[2]. Riedmatten2005	LBO	1310nm	0.004cps	80%	swapping
[3]. Halder2007	PPLN-WG	1560nm	0.0003cps	77%	swapping
[4]. Takesue2009	fiber	1551nm	0.038cps	64%	swapping
[5]. Xue2012	DSF (fiber)	1550nm	0.016cps	75%	swapping
[6]. Wu2013	PPLN WG	1550nm	0.08cps	92%	swapping
<b>This work</b>	<b>PPKTP</b>	<b>1584nm</b>	<b>108cps</b>	<b>78%</b>	<b>swap./telep.</b>

**Our count rate is 3 orders higher than the previous schemes**

**Highly bright sources + highly efficient detectors**

- [1] Marcikic, *et al*, Nature 421, 509 (2003).
- [2] Riedmatten, *et al*, PRA. 71, 050302 (2005).
- [3] Halder, *et al*, Nat. Phys. 3, 629 (2007).
- [4] Takesue, *et al*, Opt. Express 17, 10748 (2009)
- [5] Xue, *et al*, PRA. 85, 032337(2012)
- [6] Wu, *et al*, J. Phys.B 46, 235503 (2013)

## 5. Discussion (2) Comparison with the best performance at $\sim 800$ nm

Ref	Material	Wavelength	2-fold coincidence	HOM Visibility	application
[1]. Herbst2014	BBO	808nm	$C_2=130$ kcps	60%	Swap. 143km
[2]. Yin2012	BBO	808nm	$C_2=440$ kcps	60%	Telep. 100km
[3]. Yao2012	BBO	780nm	$C_2=310$ kcps	76%	8-photon entangled state
[4]. Huang2011	BBO	780nm	$C_2=220$ kcps	82%	8-photon entangled state
<b>This work</b>	<b>PPKTP</b>	<b>1584nm</b>	<b><math>C_2=150</math>kcps</b>	<b>78%(raw)</b>	<b>Swap./Telep.</b>

### Future application

- **Free space test of teleportation/swapping at telecom wavelengths**
- **6,8,10-photon entangled state generation at telecom wavelengths**

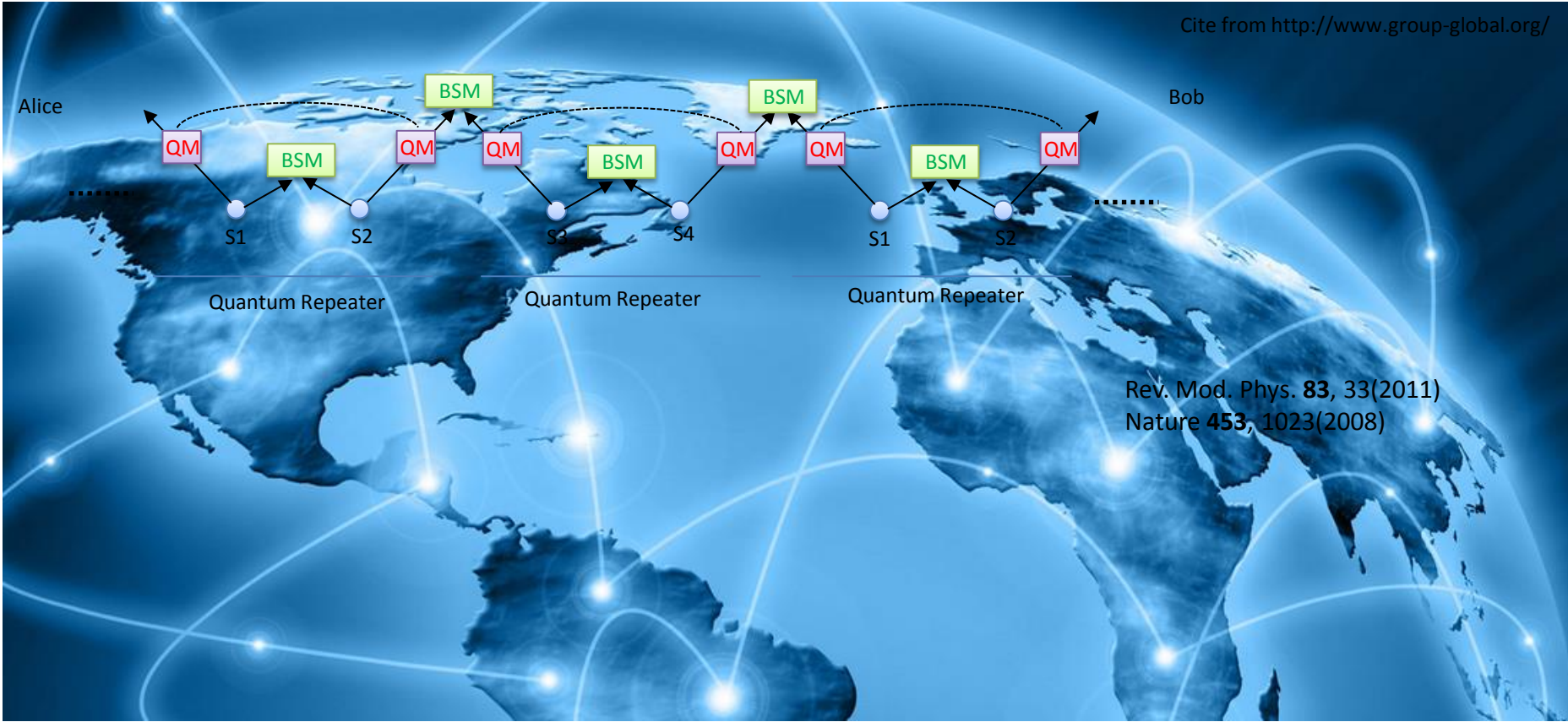
The brightness of the source is ready.  
The efficiency of the SNSPD is ready.

- [1] Herbst, *et al*, arXiv:1403.0009.
- [2] Yin, *et al*, Nature 488, 185 (2012).
- [3] Yao, *et al*, Nat. Photon. 6, 225 (2012).
- [4] Huang, *et al*, Nat. Commun. 2, 546 (2011).

# 5. Discussion (3)

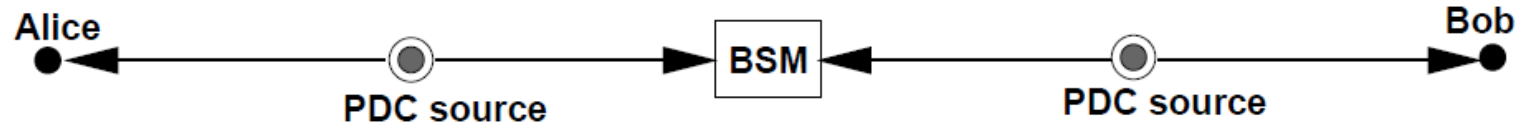
## Application for the future quantum repeater

Global quantum communication network with quantum repeaters



## 5. Discussion (4)

### Application for entanglement swapping based QKD



Ref: Artur Scherer, *et al*, Opt. Express **19**, 3004 (2011).

To demonstrate ES-QKD

Lowest requirement:

1. Four-fold coincidence count rate  $> 10\text{cps}$
2. All visibility  $> 71\%$  to violate the Bell Inequality

Compare with decoy-state-QKD

Advantage: Long distance

Disadvantage: Low count rate

It is scientifically meaningful to demonstrate ES-QKD...

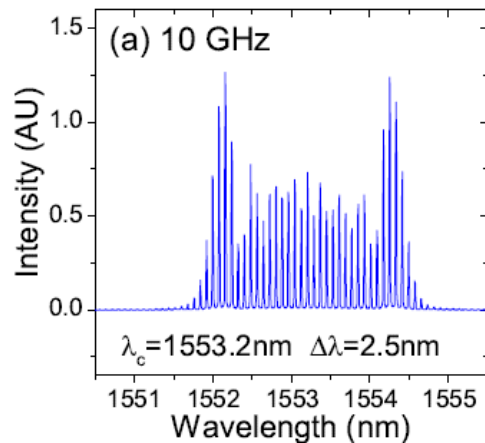
# 5. Discussion (5)      How to decrease the multi-pair emission

## Using high repetition rate laser

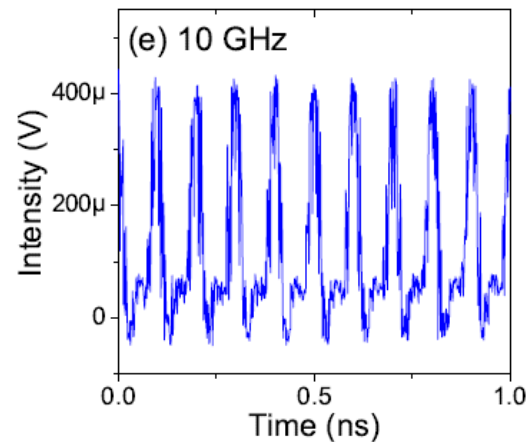
Low average power per pulse  $\rightarrow$  low multi-pair emission  
high repetition rate  $\rightarrow$  high count rate



**Spectrum**



**Time sequence**



**10 GHz repetition-rate  
comb laser**

Efficient generation of twin photons at telecom wave-  
lengths with 10 GHz repetition-rate-tunable comb laser  
*Jin, et al, submitted (2014)*

# 6. Conclusion

- ✓ 1. The setup of our entanglement swapping and teleportation experiments

GVM-PPKTP-Sagnac

+

SNSPDs

- ✓ 2. The performance of our entanglement swapping

HOM interference visibility: raw 73%, net 85%

4-fold Coincidence: 108cps

Teleportation visibility: 84.9%

Entanglement swapping visibility: 68.4% to 94.4%

- ✓ 3. Future application

Field test of entanglement swapping/ teleportation

6 photon Entangled state generation at telecom wavelength

Quantum repeater

Entanglement swapping based QKD

arXiv: 1409.XXXX, will submit soon  
Jin, *et al*, Opt. Express 22, 11498 (2014)  
Jin, *et al*, arXiv: 1309.1221  
Jin, *et al*, Opt. Express 21, 10659 (2013)  
Jin, *et al*, PRA 87, 063801 (2013)

Thank you !