



# RECEIVER-DEVICE-INDEPENDENT QKD

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## Overview

Key point:

- Protocol with **one partially trusted party** and a complete untrusted receiver (in comparison to [1]).
- **No assumptions on the receiver**, proof against attacks on detectors (in comparison to [2]).
- **Simple prepare-and-measure implementation**, no need for entanglement (in comparison to [3]).

Main results:

- **Proof of principle experiment** demonstrating the feasibility of our proposal.
- Protocols that can tolerate an **arbitrarily low transmission efficiency**.

## Prepare-and-measure scenario

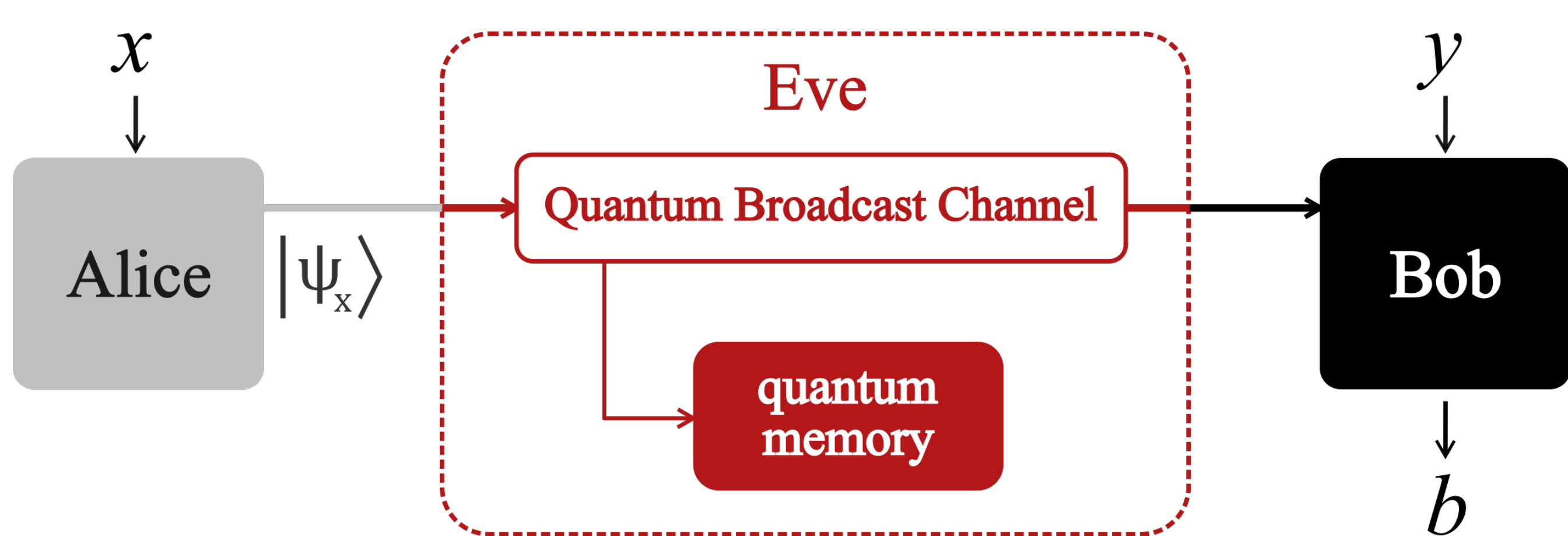


Fig. 1: Scenario: Based on the observed data  $p(b|x, y)$ , and the assumption that Alice's preparations  $|\psi_x\rangle$  have bounded overlap, Alice and Bob can establish a secret key

Assumptions common to all QKD protocols:

1.  $x, y$  are chosen independently from Eve
2. No information about  $x$  and  $y$  leaks to Eve, except via the quantum and classical communication specified in the protocol at the given round
3. Validity of quantum physics.

**Additional assumption:**

1. The inner-products  $\gamma_{x,x'} = \langle \psi_x | \psi_{x'} \rangle$  with  $x, x' = 0, \dots, n-1$  are bounded.

## Protocol

1. Alice chooses :

- $\mathbf{r} = (r_0, r_1)$  with  $0 \leq r_0 < r_1 \leq n-1$ ,
- a key bit  $k$  with  $k = 0, 1$ .

2. Alice sets  $x = r_k$  and sends a coherent state  $|\psi_x\rangle = |\alpha \cos(\theta/2)\rangle_H |\alpha \sin(\theta/2)e^{i\phi_x}\rangle_V$

3. Bob chooses a basis with  $y = 0, 1, \dots, n-1$

4. Bob's measures  $B_{0|y} = |\psi_y^\perp\rangle\langle\psi_y^\perp|$ ,  $B_{1|y} = |\psi_y\rangle\langle\psi_y|$

Expected statistics:  $p(b=0|x, y) = 1 - e^{-|\alpha|^2 \sin^2(\theta)^2 \sin^2(\frac{2\pi(x-y)}{n})}$

5. If  $b=0$  and  $y=r_0$  or  $y=r_1$  raw key is generated; else the round is discarded

## Security analysis

Lower bound on asymptotic key rate per round [4]:

$$R = (H_{\min}(A|E, \text{succ}) - H_2[\text{QBER}]) p(\text{succ}) \quad (1)$$

- QBER,  $p(\text{succ})$  estimated from the data  $p(b|x, y)$
- Estimation of  $H_{\min}(A|E, \text{succ})$  can be relaxed to a hierarchy of semi-definite programs (SDPs) using solely  $p(b|x, y)$  and  $\gamma_{x,x'}$  [5].

## Experimental realization

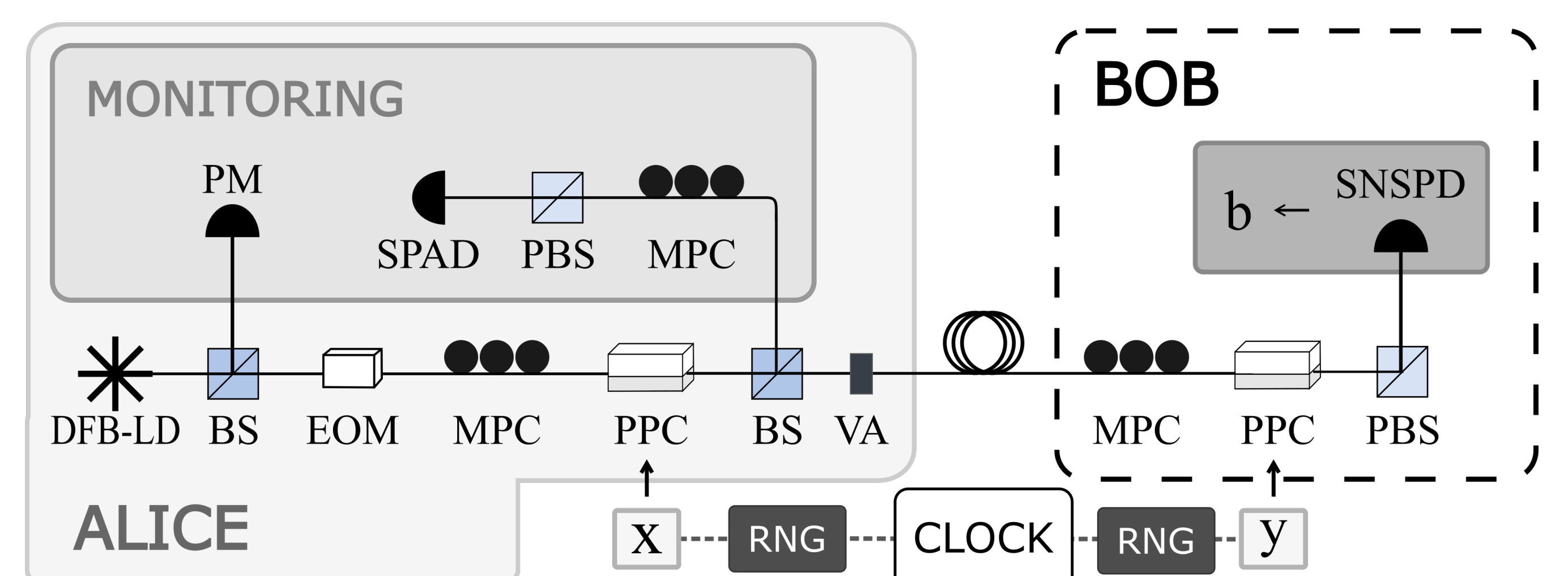


Fig. 2: Experimental setup

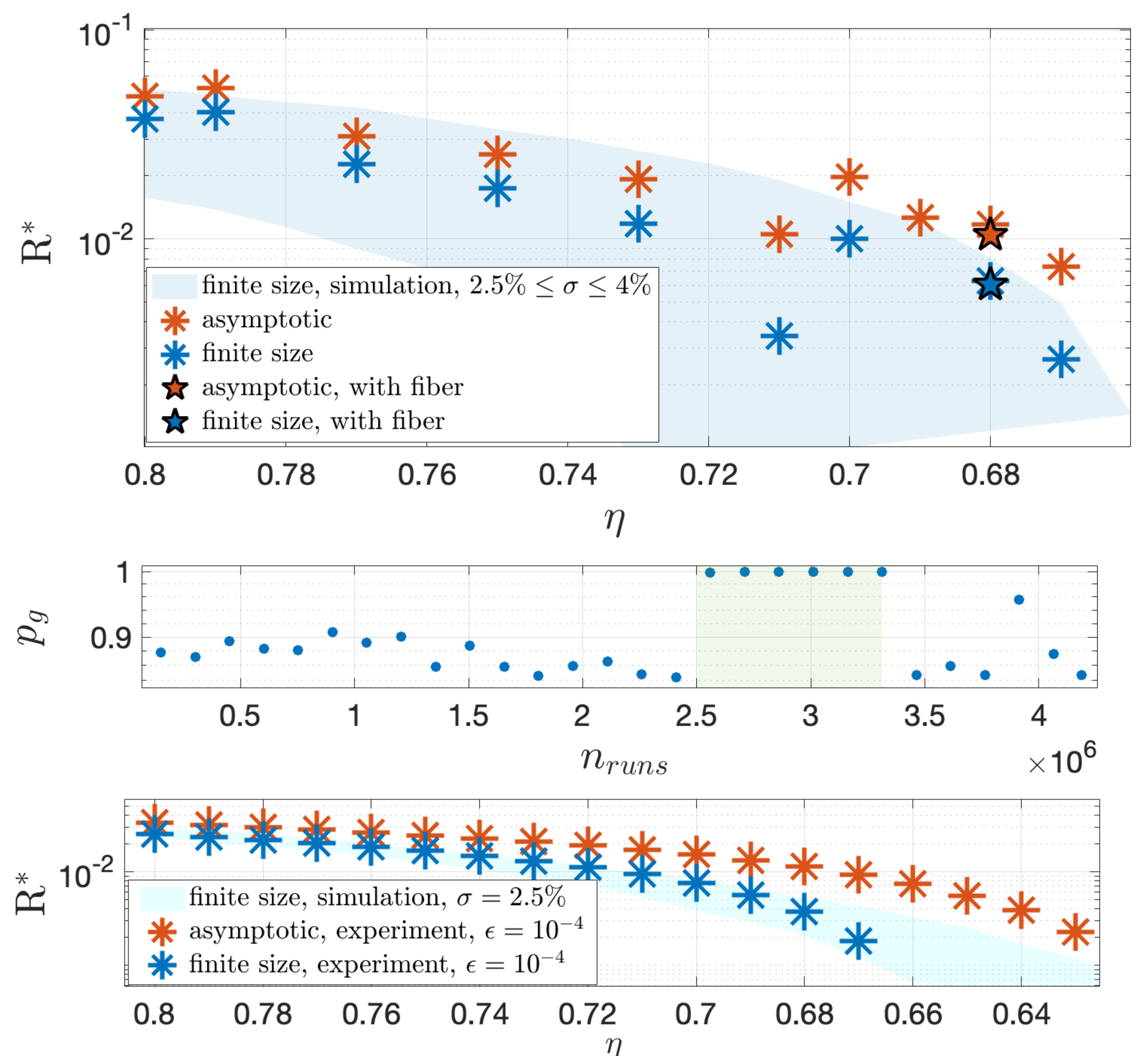


Fig. 3: Experimental results. (Top) Key rate  $R$  as a function of the transmission  $\eta$  for the protocol with  $n=2$  states. (Middle) Illustration of the self-testing feature of the protocol. (Bottom) Key rate  $R$  vs transmission  $\eta$  for the protocol with  $n=3$  states, showing enhanced robustness to losses.

## References

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